Neural Computation Laboratory







Lab:



https://github.com/wurining/Vi-ST

EUROPEAN CONFERENCE ON COMPUTER VISION

Aligning Neuronal Coding of Dynamic Visual Scenes with Foundation Vision Models

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Motivations

- Unraveling visual encoding of dynamic visual scenes is an important topic
- Foundation vision models have paved an advanced way of understanding image pixels
- Exploring a new perspective on the quantitative analysis of retina's capabilities



Salamander Retina Ganglion Cells (RGC) Neural Spikes



Stimuli: Nature Scene Video (**30Hz**, **360x360px**)





Mov1: **1800** Frames

Mov2: 1600 Frames

RGCs Response (Firing Rate)

Utilize the Multielectrode recordings for **90** RGCs ٠

(Arno Onken, Jian K. Liu, and et al., Using Matrix and Tensor Factorizations for the Single-Trial Analysis of Population Spike Trains, 2016)

3000

3000

Highlights

- Introducing *Vi-ST*, a *s*patio*t*emporal convolutional network with a pre-trained *ViT* as a prior
- Detailed ablation experiments for demonstrating the significance of modules
- Introducing a visual coding evaluation metric, named *SD-KL*
- Comparing the impact of different numbers of neuronal populations on complementary coding.



The Architecture of Vi-ST



The Architecture of Vi-ST



Loss Function

$$\mathcal{L}_{\text{Vi-ST}} = \alpha \mathcal{L}_{\text{RMSE}} + \beta \mathcal{L}_{\text{-ReLU}} + \gamma \mathcal{L}_{\text{SoftDTW}}^{6} + \gamma \mathcal{L}_{\text{SoftDTW}}^{12}$$

α, *β*, and *γ* are hyperparameters, and we set them to 0.1, 0.5, and 5×10 -6, respectively.

$$\mathcal{L}_{ ext{RMSE}} = \sqrt{rac{1}{n}\sum_{i=1}^n (y_i - \hat{y}_i)^2}$$

$$\mathcal{L}_{ ext{-ReLU}} = rac{1}{n}\sum_{i=1}^n \max(0,-\hat{y}_i)$$

$$\mathcal{L}_{\text{SoftDTW}}^{n} = \frac{1}{L-n} \sum_{i=1}^{L-n} \text{SoftDTW}(y_i, \hat{y}_i), i \in \{1, 2, \dots, L-n\}$$

Root Mean Square Error (RMSE): Euclidean loss

Negative ReLU function: penalty term

Soft Dynamic Time Warping (SoftDTW)

- Unlike Euclidean losses such as RMSE, considers potential time shifts or variations of length of durations
- Using rolling windows to avoid predicting longer time windows may lead to distortion and difficulty in representing local abrupt changes

(Cuturi, M., Blondel, M.: Soft-DTW: a Differentiable Loss Function for Time-Series)

Better Generalization



Model*	$Mov1 \to Mov1$	$Mov2 \to Mov2$
CRNN	0.857	0.718
I3D+MSTCN	0.846	0.668
DINOv2+MSTCN	0.849	0.672
Vi-ST	0.789	0.570
Model**	$Mov1 \rightarrow Mov2$	$Mov2 \rightarrow Mov1$
I3D+MSTCN	0.108	0.074
DINOv2+MSTCN	0.101	0.100
Vi-ST	0.334	0.281

* training and testing data are taken from the same video where pixel context is conserved

** training and testing data are taken from the different video

Vi-ST gives better the generalization ability

Metrics

Pearson correlation coefficient (CC) :

While CC considers the macro trends of the entire sequence, it lacks an attention for temporal information

Spike Duration - Kullback-Leibler Divergence (SD-KL) :

Consider the detailed consideration of temporal information or dynamics over time

Algorithm 1 Pseudocode of the SD-KL

Input: $\hat{y} \in \mathbb{R}^{N \times F}, y \in \mathbb{R}^{N \times F}, \alpha = 0.3, \beta = 1.0$ Output: score 1: $\hat{D} \leftarrow \text{peak widths}(\min(\max(0, \hat{y}), \beta)), \hat{D} \subset \mathbb{R}$ 2: $\mathcal{D} \leftarrow \text{peak widths}(\min(\max(0, y), \beta)), \mathcal{D} \subset \mathbb{R}$ 3: $Var_{\cup} \leftarrow \frac{\alpha}{n} \sum_{i=1}^{n} (x_{i} - \bar{x})^{2}, x_{i} \in \{D, \hat{D}\}$ 4: $\mathcal{L}_{\cup} \leftarrow \left\{ (lower_{\cup} - 3 * Var_{\cup}) + i \cdot \frac{(upper_{\cup} + 3 * Var_{\cup}) - (lower_{\cup} - 3 * Var_{\cup})}{199} \mid i = 0, 1, \dots, 199 \right\}$ 5: $pdf_{\mathcal{D}} \leftarrow \text{KDE}(\mathcal{D}, \alpha)$ 6: $pdf_{\hat{D}} \leftarrow \text{KDE}(\hat{D}, \alpha)$ 7: $P_{\mathcal{D}} = \left\{ \left(x_{i}, \frac{pdf_{\mathcal{D}}(x_{i})}{\sum_{j=1}^{N} pdf_{\mathcal{D}}(x_{j})} \right) \mid x_{i} \in \mathcal{L}_{\cup} \right\}$ 8: $P_{\hat{\mathcal{D}}} = \left\{ \left(x_{i}, \frac{pdf_{\hat{\mathcal{D}}}(x_{i})}{\sum_{j=1}^{N} pdf_{\hat{\mathcal{D}}}(x_{j})} \right) \mid x_{i} \in \mathcal{L}_{\cup} \right\}$ 9: score $\leftarrow D_{KL}(P_{\hat{\mathcal{D}}} \mid P_{\mathcal{D}})$ 10: score $\leftarrow \min(\max(0, \text{score}), 1000)$ 11: 12: return score

- Selects the lengths of corresponding subsequences in the response sequence, representing the duration of a complete neural response (from non-spike to non-spike).
- Then, compare the similarity of distribution which are calculated by Kernel Density Estimation, by KL divergence.

Discussion





(c) Comparison of Euclidean and non-Euclidean loss

Discussion: Comparison of benefits of complementary coding

Is it optimal to construct an end-to-end model capable of simultaneously predicting all neural responses?



1. The CC of 90 RGCs predicted by the model are sorted, focusing on **the top 8 RGCs;**

2. The experiment uses encodings of 90, 64, 32, 16, 8, and 1 to make predictions;

3. The top 8 RGCs'CC from step 1 are then compared;

4. The results represent the average CC of the top 8 RGCs

(Ding, X., Lee, D., Melander, J.B., Sivulka, G., Ganguli, S., Baccus, S.A.: Information Geometry of the Retinal Representation Manifold)