





EUROPEAN CONFERENCE ON COMPUTER VISION

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Improving Feature Stability during Upsampling – Spectral Artifacts and the Importance of Spatial Context

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Motivation

Baseline

Large Context



Clean - within domain

Attacked

2D Frequency Spectra

Figure 1. Image restoration using NAFNet^[1] variants on GoPro images^[2]

Introduction

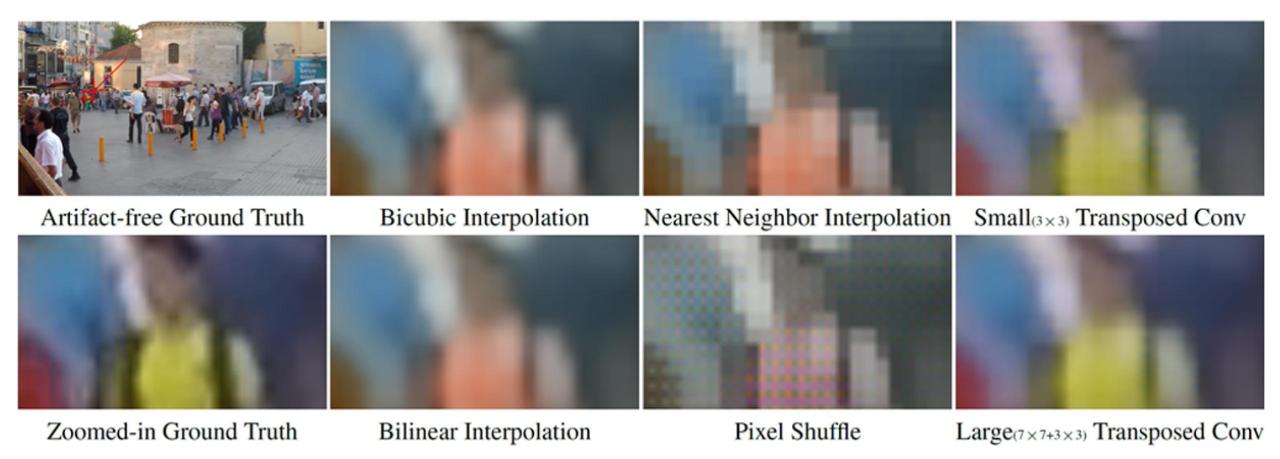


Figure 2. Images downsampled with 3x3 MaxPooling and then upsampled using various upsampling techniques.

Consider, w.l.o.g. a 1D signal I and its DFT $\mathcal{F}(I)$ with k being the index of discrete frequencies,

$$\mathcal{F}(I)_{\bar{k}}^{\mathrm{up}} = \sum_{j=0}^{2N-1} e^{-2\pi i \cdot \frac{j\bar{k}}{2\cdot N}} \cdot I_{j}^{\mathrm{up}} = \sum_{j=0}^{N-1} e^{-2\pi i \cdot \frac{2\cdot j\bar{k}}{2\cdot N}} I_{j} + \sum_{j=0}^{N-1} e^{-2\pi i \cdot \frac{2\cdot (j+1)\bar{k}}{2\cdot N}} \bar{I}_{j}, \tag{1}$$

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During decoding, we upsample *I* to I^{up} with a factor of 2, for $\overline{k} = 0, ..., 2N-1$

$$(1) = \sum_{j=0}^{2N-1} e^{-2\pi i \cdot \frac{j\bar{k}}{2\cdot N}} \cdot \sum_{t=-\infty}^{\infty} I_j^{\text{up}} \cdot \delta(j-2t).$$
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the second term in (1) can be dropped in bed of nails sampling where $\overline{I_j}=0$ Since, the first term resembles $\mathcal{F}(I)$, we rewrite (1) using a Dirac impluse comb as,

$$\mathcal{F}(I)_{\bar{k}}^{\mathrm{up}} = \frac{1}{2} \sum_{t=-\infty}^{\infty} \left(\sum_{j=-\infty}^{\infty} e^{-2\pi i \cdot \frac{j\bar{k}}{2N}} I_{j}^{\mathrm{up}} \right) \left(\bar{k} - \frac{t}{2}\right)$$

$$\stackrel{(1)}{=} \frac{1}{2} \sum_{t=-\infty}^{\infty} \left(\sum_{j=-\infty}^{\infty} e^{-2\pi i \cdot \frac{j\bar{k}}{N}} \cdot I_{j} \right) \left(\bar{k} - \frac{t}{2}\right) = \frac{1}{2} \sum_{t=-\infty}^{\infty} \mathcal{F}(I)_{\bar{k}} \left(\bar{k} - \frac{t}{2}\right).$$

$$(3)$$

$$\mathcal{F}(I)_{\bar{k}}^{\mathrm{up}} \stackrel{(1)}{=} \frac{1}{2} \sum_{t=-\infty}^{\infty} \left(\sum_{j=-\infty}^{\infty} e^{-2\pi i \cdot \frac{j\bar{k}}{N}} \cdot I_j \right) \left(\bar{k} - \frac{t}{2} \right) = \frac{1}{2} \sum_{t=-\infty}^{\infty} \mathcal{F}(I)_{\bar{k}} \left(\bar{k} - \frac{t}{2} \right).$$
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Such upsampling creates high-frequency replica of the signal at t/2 for t in $-\infty$, ..., ∞ in $\mathcal{F}(I)^{up}$.

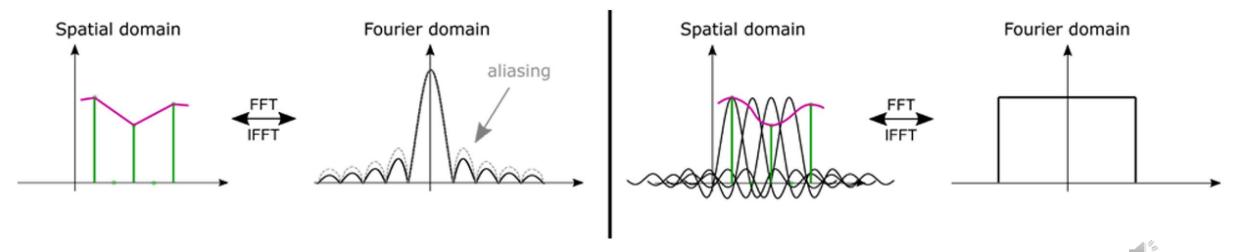


Figure 3. (Left) Linear interpolation (pink) of the sample (green) causes aliases. (Right) Optimal signal reconstruction (pink) is achieved by sinc interpolation.



<u>Hypothesis 1</u>: Large Context Transposed Convolutions (LCTC) i.e. Large kernels in transposed convolution operations provide more context and reduce spectral artifacts and can therefore be leveraged by the network to facilitate better and more robust pixel-wise predictions.



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<u>Hypothesis 2 (Null Hypothesis H2)</u>: To leverage prediction context and reduce spectral artifacts, it is crucial to increase the size of the transposed convolution kernels (upsample using large filters). Increasing the size of normal (i.e. nonupsampling) decoder convolutions does not have this effect.

Method

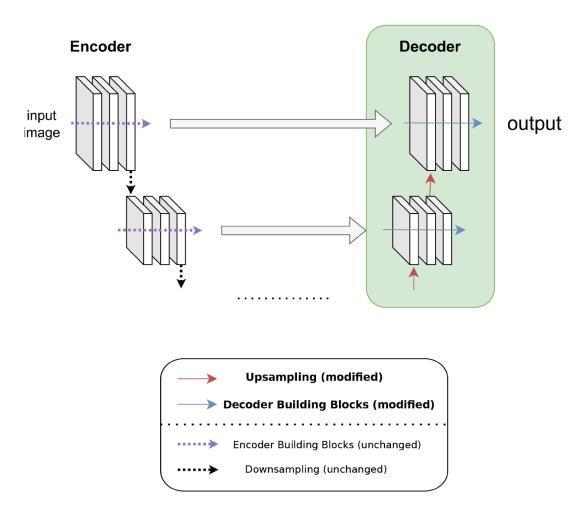
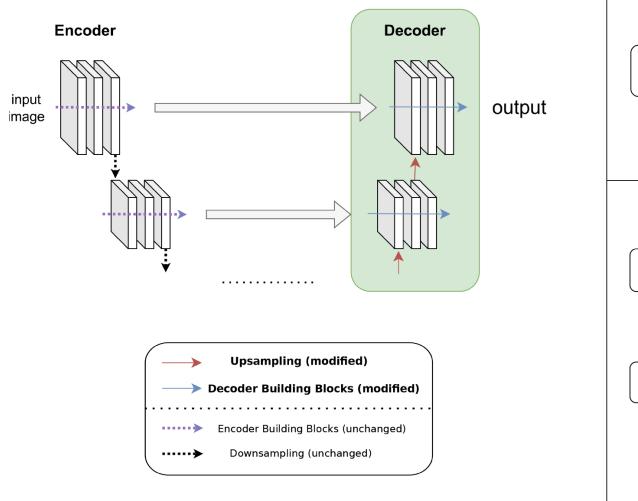


Figure 4. Abstract representation of the encoder-decoder architectural modifications. Our study focuses on the model decoder (in green).

Method



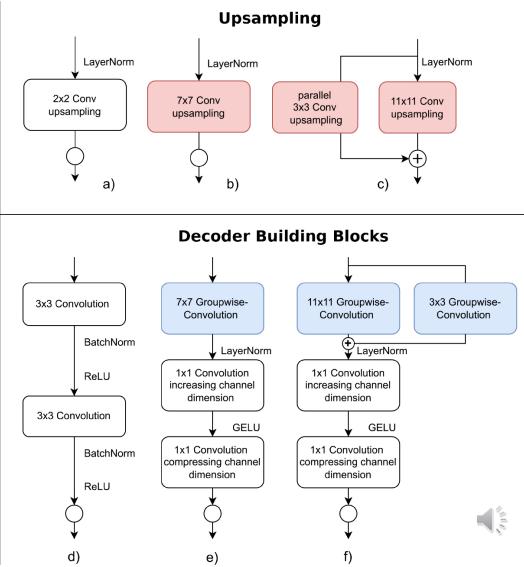


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Results

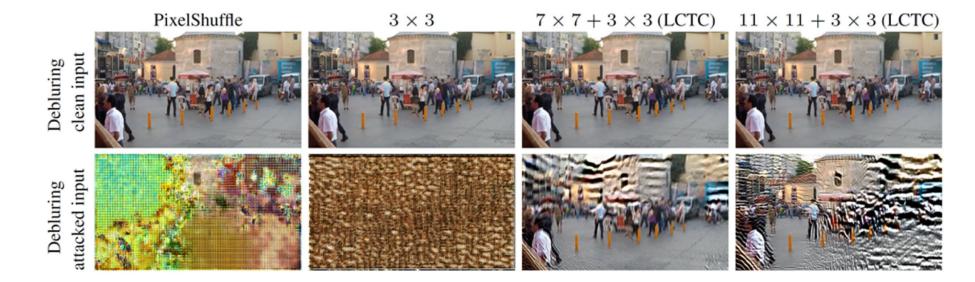


Figure 5. Restorations using NAFNet (uses PixelShuffle) and its variants including LCTC under PGD attack.

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Results

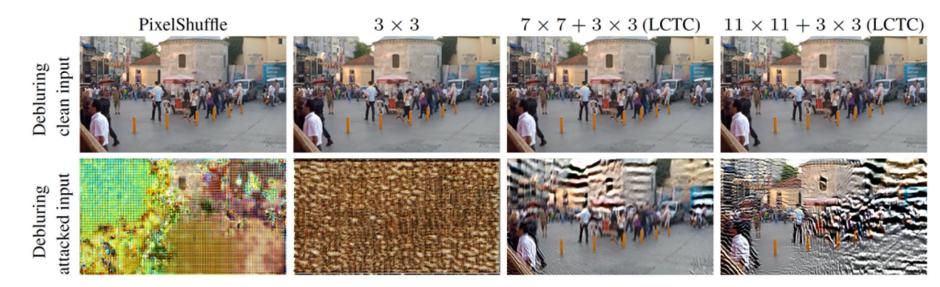


Figure 5. Restorations using NAFNet (uses PixelShuffle) and its variants including LCTC under PGD attack.

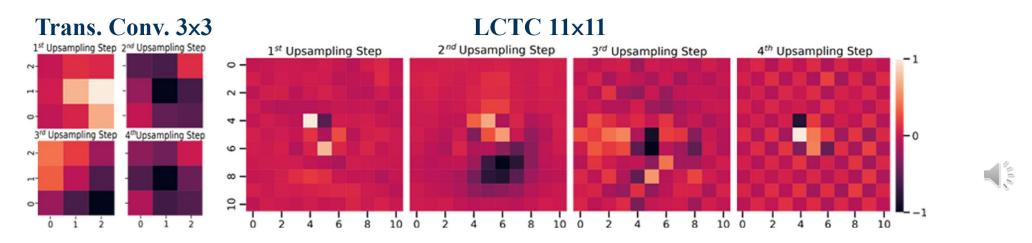


Figure 6. Normalized kernel weights from a random channel for the NAFNet models above.



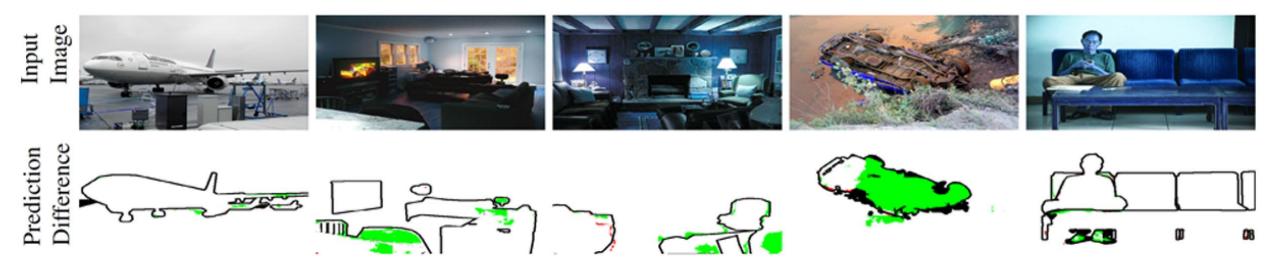


Figure 7. Difference in semantic segmenation mask predictions between LCTC and baseline transposed convolution using UNet^[3] with ConvNeXt^[4] encoder on PASCAL VOC2012^[5] image

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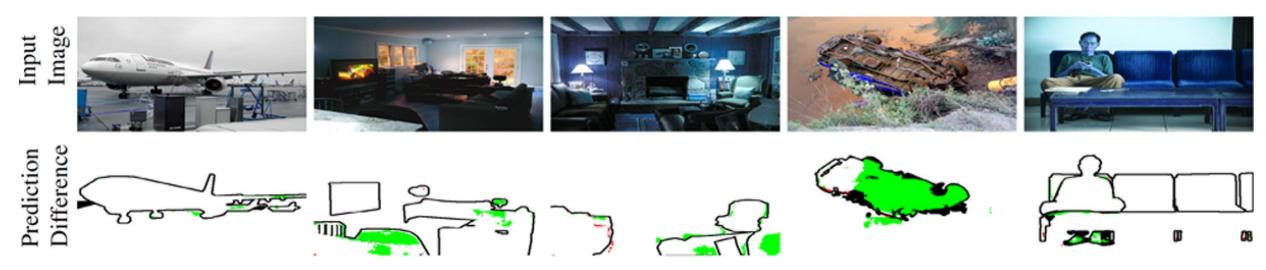


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Table 1. Quantitative results for the above models.

Transposed Convolution Kernels	Clean	SegPGD ($\epsilon \approx \frac{8}{255}$)) attack iterations
	Test Accuracy	3	20
	mIoU mAcc allAcc	mIoU mAcc allAcc	mIoU mAcc allAcc
2×2 (baseline)	78.34 86.89 95.15	23.06 46.51 45.30	5.54 18.79 23.72
LCTC: 7×7 (Ours)	78.92 88.06 95.23	26.53 53.05 61.16	7.17 23.05 27.52
LCTC: $11 \times 11 + 3 \times 3$ (Ours)			

Conclusion

- We provide conclusive reasoning and empirical evidence for our hypotheses on the importance of context during data upsampling.
- Increasing the size of convolutions upsampling (LCTC) increases prediction stability.
- Increasing the size of those convolution layers without upsampling does not benefit the network.
- We show that observations made for increased context during encoding do not translate to decoding.
- Large Context Transposed Convolutions can be directly incorporated into recent models.



References

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