Bidirectional Uncertainty-Based Active Learning for Open-Set Annotation

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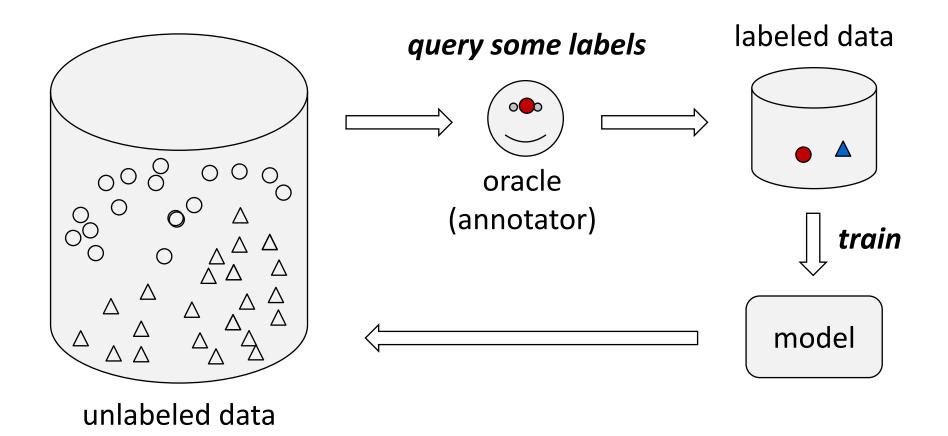




- Motivation
- ☐ The Framework of BUAL
- Random Label Negative Learning
- Bidirectional Sampling Strategy
- Experiments

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Active Learning

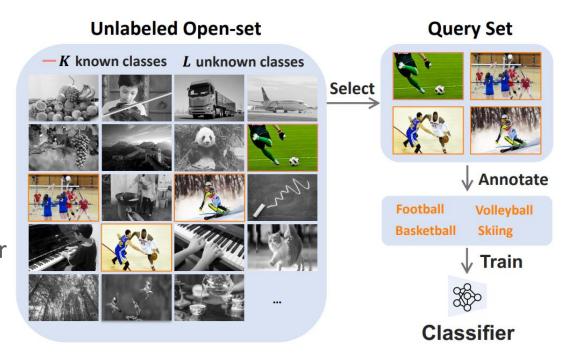


Goal: train an effective model with least labeling cost

Open-Set Annotation

Known class: color images with border

Unknown class: gray-scale images without border



□ Active learning in open set scenarios presents a novel challenge of identifying the most valuable examples in an unlabeled data pool that comprises data from both known and unknown classes.

Motivation

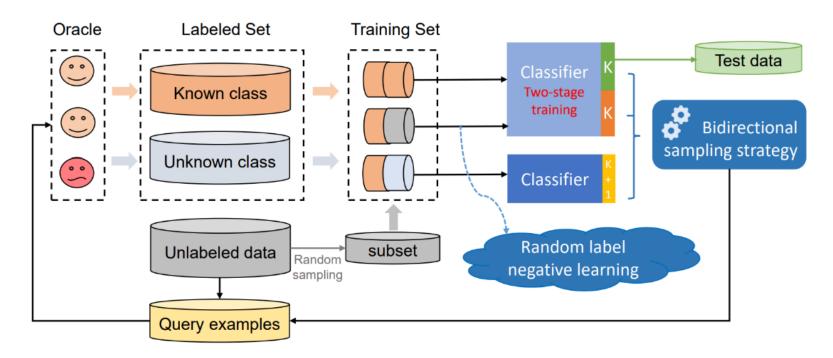
- □ Traditional active learning methods prioritize selecting informative examples with low confidence, with the risk of <u>mistakenly</u> <u>selecting unknown-class examples</u> with similarly low confidence.
- Recent open-set annotation methods favor the most probable known class examples, with the risk of <u>picking simple already</u> <u>mastered examples</u>.

Can we effectively distinguish the "informative" examples of known classes from examples of unknown classes?

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The Framework of BUAL

BUAL: Bidirectional Uncertainty-based Active Learning framework



□ Three components

- Model training
- Example selection
- Oracle labeling

☐ Two core contributions

- Random label negative learning (RLNL)
- Bidirectional sampling strategy

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Random Label Negative Learning

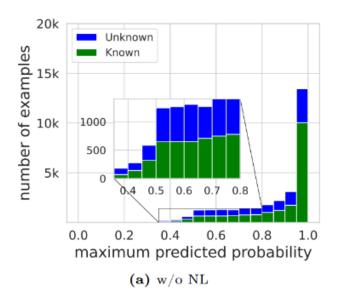
Can we effectively distinguish the "informative" examples of known classes from examples of unknown classes?

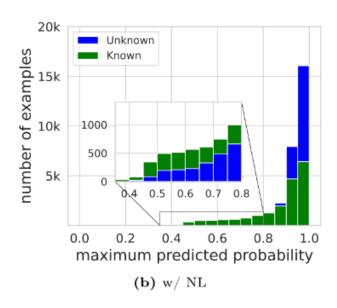


Pushing unknown class examples toward regions with highconfidence predictions.

Random Label Negative Learning

We achieve this!!!



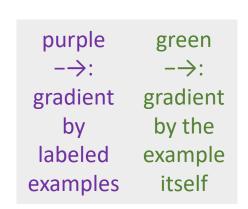


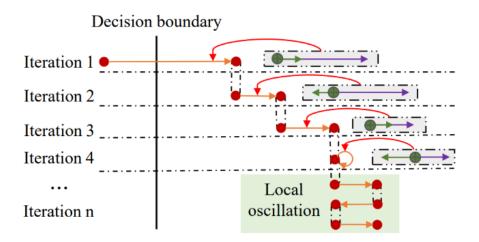
✓ We <u>randomly assign labels</u> to unlabeled examples in each training round and finetune the target model using the <u>negative</u> <u>learning</u> loss performed on them and already labeled examples.

$$\ell_{NL}(f, \bar{y}) = -\sum_{k=1}^{K} \bar{y}_k \log (1 - p_k)$$

Why RLNL works?

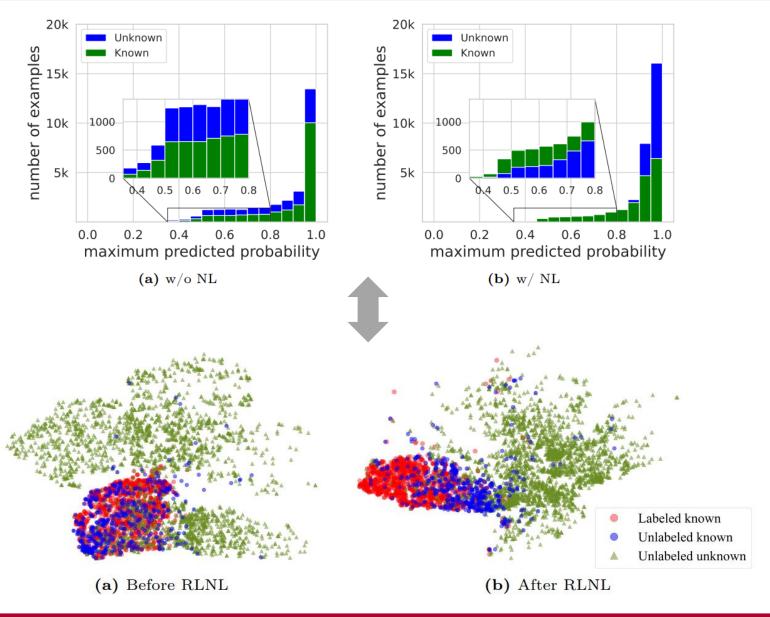
- ✓ Once unlabeled known class examples receive the correct labels, they suffer a larger penalty and are reduced confidence predictions by the model since they deviate from the distribution information obtained from labeled data.
- ✓ In contrast, unlabeled unknown class examples will oscillate at uncharted away from the decision boundary to counteract the update gradient produced by the labeled data.





Possible update scenario for unlabeled unknown class examples

Why RLNL works?



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Bidirectional Sampling Strategy

■ Design Criteria

- The negative head is slightly biased for the measurement due to the unstable training. Thus, if an example is likelier to belong to known classes, we prefer to utilize the sample uncertainty obtained from positive head.
- Once an example has a higher risk of belonging to the unknown classes, the uncertainty obtained from positive head is unreliable, and thus the uncertainty produced by the negative head should be given a higher weight.

$$\boldsymbol{x}^* = arg \max_{\boldsymbol{x}} p_{K+1}^{aux}(\boldsymbol{x}) unc_n + r \left[1 - p_{K+1}^{aux}(\boldsymbol{x})\right] unc_p$$

r represent the precision of known classes

 p_{K+1}^{aux} is the probability on unknown class

We can expand the existing uncertainty-based active learning methods to complex and ever-changing open-set scenarios.

Bidirectional Sampling Strategy

• Bidirectional Least Confident Sampling

$$\boldsymbol{x}^* = \arg\max_{\boldsymbol{x}} p_{K+1}^{aux}(\boldsymbol{x}) \left[1 - \boldsymbol{\mathcal{P}}_{y^-}^-(\boldsymbol{x}) \right] + r \left[1 - p_{K+1}^{aux}(\boldsymbol{x}) \right] \left[1 - \boldsymbol{p}_{y^+}^+(\boldsymbol{x}) \right],$$

where $y^- = \arg\max_y \mathcal{P}_y^-(x)$, $y^+ = \arg\max_y \mathcal{p}_y^+(x)$.

• Bidirectional Margin-Based Sampling

$$\begin{aligned} \boldsymbol{x}^* &= \argmax_{\boldsymbol{x}} p_{K+1}^{aux}(\boldsymbol{x}) \left[\boldsymbol{\mathcal{P}}_{y_1^-}^-(\boldsymbol{x}) - \boldsymbol{\mathcal{P}}_{y_2^-}^-(\boldsymbol{x}) \right] \\ &+ r \left[1 - p_{K+1}^{aux}(\boldsymbol{x}) \right] \left[\boldsymbol{p}_{y_1^+}^+(\boldsymbol{x}) - \boldsymbol{p}_{y_2^+}^+(\boldsymbol{x}) \right], \end{aligned}$$

where $y_1^- = \operatorname{arg\,max}_y \mathcal{P}_y^-(\boldsymbol{x}), \ y_1^+ = \operatorname{arg\,max}_y \boldsymbol{p}_y^+(\boldsymbol{x}) \ y_2^- = \operatorname{arg\,max}_{y \setminus y_1^-} \mathcal{P}_y^-(\boldsymbol{x}), \ y_2^+ = \operatorname{arg\,max}_{y \setminus y_1^+} \boldsymbol{p}_y^+(\boldsymbol{x}).$

• Bidirectional Entropy-Based Sampling

$$\boldsymbol{x}^* = \arg \max_{\boldsymbol{x}} p_{K+1}^{aux}(\boldsymbol{x}) \left[-\boldsymbol{\mathcal{P}}_{y^-}^-(\boldsymbol{x}) \log \boldsymbol{\mathcal{P}}_{y^-}^-(\boldsymbol{x}) \right] + r \left[1 - p_{K+1}^{aux}(\boldsymbol{x}) \right] \left[-\boldsymbol{p}_{y^+}^+(\boldsymbol{x}) \log \boldsymbol{p}_{y^+}^+(\boldsymbol{x}) \right],$$

where y^- and y^+ are consistent with the previous definition.

Bidirectional Sampling Strategy

• Bidirectional Least Confident Sampling

$$x^* = \arg \max_{x} p_{K+1}^{aux}(x) \left[1 - \mathcal{P}_{y^-}^{-}(x) \right] + r \left[1 - p_{K+1}^{aux}(x) \right] \left[1 - p_{y^+}^{+}(x) \right],$$

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$$\boldsymbol{x}^* = \arg\max_{\boldsymbol{x}} p_{K+1}^{aux}(\boldsymbol{x}) \left[\boldsymbol{\mathcal{P}}_{y_1^-}^-(\boldsymbol{x}) - \boldsymbol{\mathcal{P}}_{y_2^-}^-(\boldsymbol{x}) \right] + r \left[1 - p_{K+1}^{aux}(\boldsymbol{x}) \right] \left[\boldsymbol{p}_{y_1^+}^+(\boldsymbol{x}) - \boldsymbol{p}_{y_2^+}^+(\boldsymbol{x}) \right],$$

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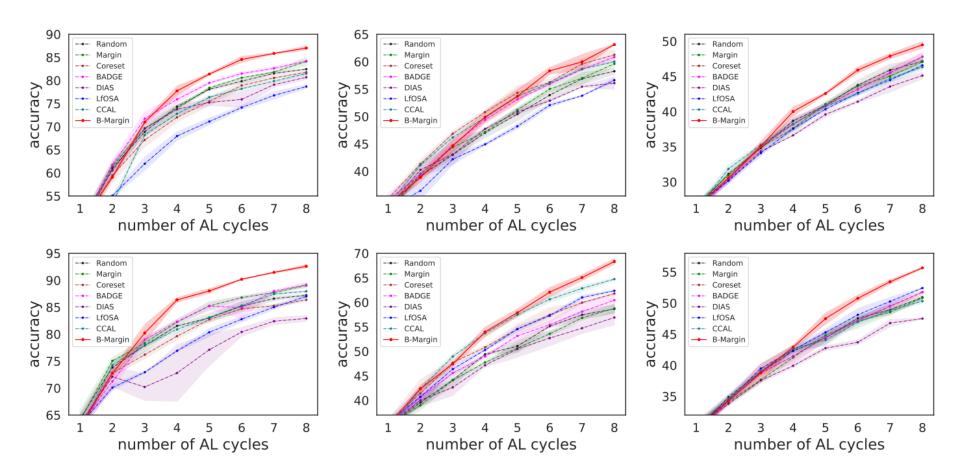


Figure 6: Accuracy comparison on CIFAR-10 (first column), CIFAR-100 (second column), and Tiny-Imagenet (third column). The ratio of unknown class examples to the total number of examples is fixed at 0.4 (first row) and 0.6 (second row) for each dataset. The results of 0.2 and 0.8 openness ratios are shown in the supplementary file.

Table 1: The final round average accuracy of different methods on CIFAR-10, CIFAR-100, and Tiny-Imagenet. The best performance is highlighted in bold.

Datasets		CIFAR-10				CIFAR-100			Tiny-Imagenet			
Openness Ratio		0.2	0.4	0.6	0.8 0.2	0.4	0.6	0.8	0.2	0.4	0.6	0.8
(1)	Random	83.3	82.5	87.2	96.9 57.	5 58.3	58.7	61.2	45.7	47.2	50.9	55.0
(2)	LC Margin Entropy	84.3 86.0 85.4	81.6 84.1 83.4	87.5 89.0 88.0	96.2 55. 97.0 59. 96.8 57.	3 59.6	54.0 58.8 55.7	56.2 58.9 56.4	44.8 46.4 44.6	45.9 47.1 44.5	48.4 50.8 46.9	51.6 54.0 50.7
(3)	Coreset	85.0	81.8	86.4	97.4 60.	2 61.2	61.8	64.2	46.2	47.8	51.8	54.0
(4)	BADGE	86.8	84.2	89.2	96.4 60.	2 60.8	60.4	62.0	46.3	47.8	51.8	53.3
(5)	LfOSA CCAL	73.7 80.8	78.7 81.5	87.0 88.0	98.6 52. 98.1 55.		62.4 64.7	68.2 67.7	42.5	46.6 46.3	52.4 50.3	59.9 57.0
(6)	DIAS	81.8	80.7	83.0	94.0 55.	7 56.1	56.9	57.2	43.1	45.1	47.5	54.4
Ours	B-LC B-Margin B-Entropy	87.0 86.5 86.9	87.2 87.0 87.4	92.5 92.6 92.6	99.1 59. 98.9 60 . 99.1 58.	9 63.1	67.5 68.3 66.9	72.1 71.5 71.4	45.7 46.5 45.4	48.7 49.5 47.5	54.7 55.7 55.2	60.6 61.2 61.0

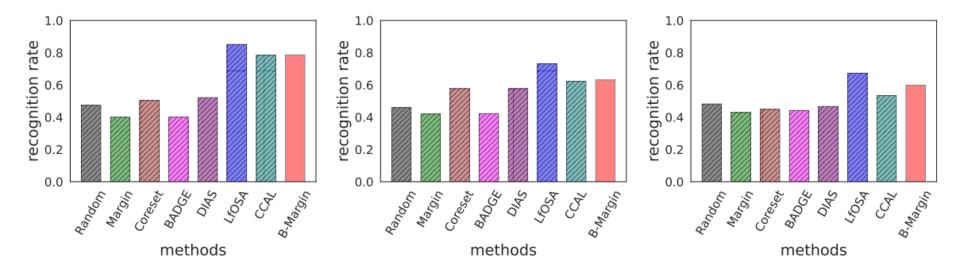


Fig. 7: The average recognition rate on CIFAR-10 (first column), CIFAR-100 (second column), and Tiny-Imagenet (third column).

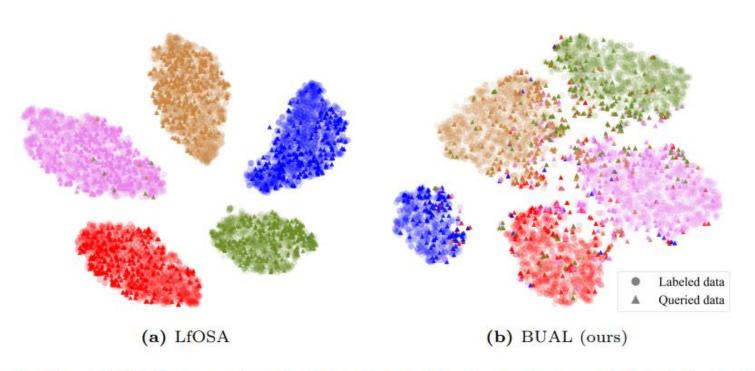


Fig. 8: The t-SNE feature visualization of data from one query and labeled pool on CIFAR-10 with an openness ratio of 0.5.

Table 2: Final accuracy of each component in Equation 3 on CIFAR-10, CIFAR-100, and Tiny-Imagenet with an openness ratio of 0.6.

Dataset	$oxed{unc_p}$	$ullet unc_n$	w/o w	$w/o~f_{aux}$	B-LC
CIFAR-10	87.5	89.4	90.8	91.3	92.5
CIFAR-100	54.0	63.5	62.4	65.0	67.5
Tiny-Imagenet	48.4	52.3	52.0	53.0	54.7

Thanks!