



# A Compact Dynamic 3D Gaussian Representation for Real-Time Dynamic View Synthesis

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Project

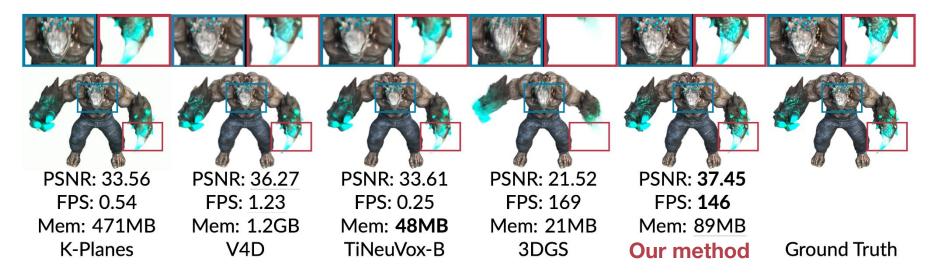
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# Highlight



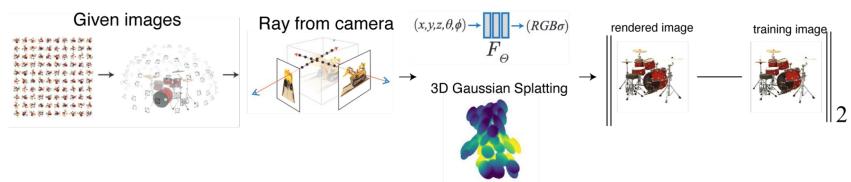
### Our method achieves high quality, high speed, and compact dynamic view synthesis





## Novel View Synthesis

Given multiple images from different viewpoints, novel view synthesis aims to generate images from new viewpoints. Two popular approach: neural radiance fields (NeRF) and 3D Gaussian Splatting.



NeRF

Fast, data-efficient, compact representation is essential for synthesis

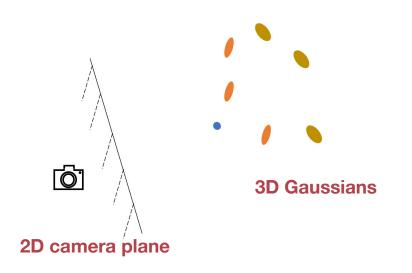




# **3D** Gaussian Splatting

1) a 3D position:  $[x, y, z]^{\mathsf{T}} \in \mathbb{R}^3$ , 2) a 3D rotation represented by a quaternion:  $[q_x, q_y, q_z, q_w]^{\mathsf{T}} \in \mathbb{R}^4$ 3) a scaling factor:  $[s_x, s_y, s_z]^{\mathsf{T}} \in \mathbb{R}^3$ 4) spherical harmonics coefficients representing color with the degrees of freedom  $k: h \in \mathbb{R}^{3 \times (k+1)^2}$ 5) an opacity:  $o \in \mathbb{R}$ 

3D Gaussian parameters



project and blend 3D Gaussians





## Extending to dynamic scenes

Static 3D Gaussian parameters

1) a 3D position:  $[x, y, z]^{\mathsf{T}} \in \mathbb{R}^3$ , 2) a 3D rotation represented by a quaternion:  $[q_x, q_y, q_z, q_w]^{\mathsf{T}} \in \mathbb{R}^4$ 3) a scaling factor:  $[s_x, s_y, s_z]^{\mathsf{T}} \in \mathbb{R}^3$ 4) spherical harmonics coefficients representing color with the degrees of freedom  $k: h \in \mathbb{R}^{3 \times (k+1)^2}$ 5) an opacity:  $o \in \mathbb{R}$ 



Dynamic 3D Gaussian parameters

1) a 3D position at time  $t: [x_t, y_t, z_t]^{\mathsf{T}} \in \mathbb{R}^3$ , 2) a 3D rotation at time t represented by a quaternion:  $[q_t^x, q_t^y, q_t^z, q_t^w]^{\mathsf{T}} \in \mathbb{R}^4$ , 3) a scaling factor:  $[s_x, s_y, s_z]^{\mathsf{T}} \in \mathbb{R}^3$ , 4) spherical harmonics coefficients representing color with the degrees of freedom  $k: h \in \mathbb{R}^{3 \times (k+1)^2}$ , 5) an opacity:  $o \in \mathbb{R}$ . **O(TN) parameters** 

**Challenges**: multi-view assumption and huge memory consumption.





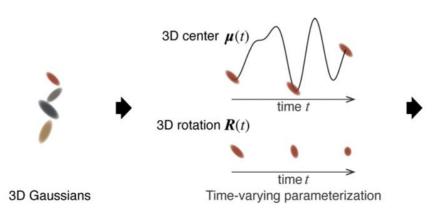
## Our approach

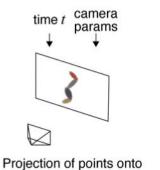
Key idea

Representing time-varying parameters as functions of time with a few parameters

### Our dynamic 3D Gaussian parameters

1) a 3D position at time  $t: [x(t), y(t), z(t)]^{\mathsf{T}} \in \mathbb{R}^3$ , 2) a 3D rotation at time t represented by a quaternion:  $[q_x(t), q_y(t), q_z(t), q_w(t)]^{\mathsf{T}} \in \mathbb{R}^4$ 3) a scaling factor:  $[s_x, s_y, s_z]^{\mathsf{T}} \in \mathbb{R}^3$ 4) spherical harmonics coefficients representing color with the degrees of freedom  $k: h \in \mathbb{R}^{3 \times (k+1)^2}$ 5) an opacity:  $o \in \mathbb{R}$ 





camera plane at time t

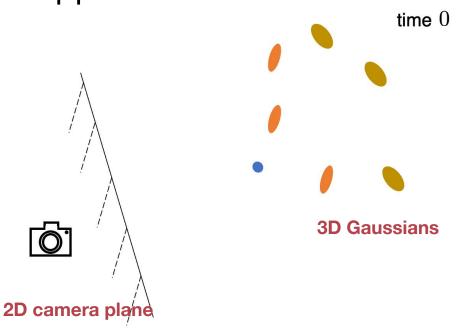


Rendered image





### Intuition of our approach







# Approximation of position and rotation

$$\begin{aligned} x(t) &= w_{x,0} + \sum_{i=1}^{L} w_{x,2i-1} \sin(2i\pi t) + w_{x,2i} \cos(2i\pi t), & q_x(t) &= w_{qx,0} + w_{qx,1}t, \\ y(t) &= w_{y,0} + \sum_{i=1}^{L} w_{y,2i-1} \sin(2i\pi t) + w_{y,2i} \cos(2i\pi t), & q_y(t) &= w_{qy,0} + w_{qy,1}t, \\ z(t) &= w_{z,0} + \sum_{i=1}^{L} w_{z,2i-1} \sin(2i\pi t) + w_{z,2i} \cos(2i\pi t), & q_w(t) &= w_{qw,0} + w_{qw,1}t, \end{aligned}$$

Fourier approximation for position, linear approximation for rotation





## Experiment

Metrics:	DyNeRF dataset						
		PSNR† N	MS-SSIM↑ LPIPS↓	FPS↑ Tra	ain Time↓	Mem↓	
$\circ$ PSNR )	K-Planes [Fridovich-Keil+, 2023]	<u>31.63</u>	0.964 -	0.31	1.8 hrs ~	~309MB	
MS-SSIM Visual quality	V4D [Gan+, 2024]	28.96	0.937 0.17	0.11	4 hrs	1.2GB	
∫ ○ FPS: rendering speed	3DGS [Kerbl+, 2023] D-3DGS	20.94 24.36	0.800 0.29 0.834 0.25	V		~2.3GB	
$\sim$ Train time	Dynamic3DGaussians [Luiten+, 2023] Ours	27.79 <u>30.46</u>	0.869 0.23 0.955 0.15	51 <u>118</u>		~6.6GB ~338MB	
<ul> <li>Memory size: memory used to store optimized</li> <li>Challenges in pourse radiance field</li> </ul>	-	_ (	Compar <b>Sibi</b>	nþasð	<b>bi</b> te	10x smaller	

└ Challenges in neural radiance field methods

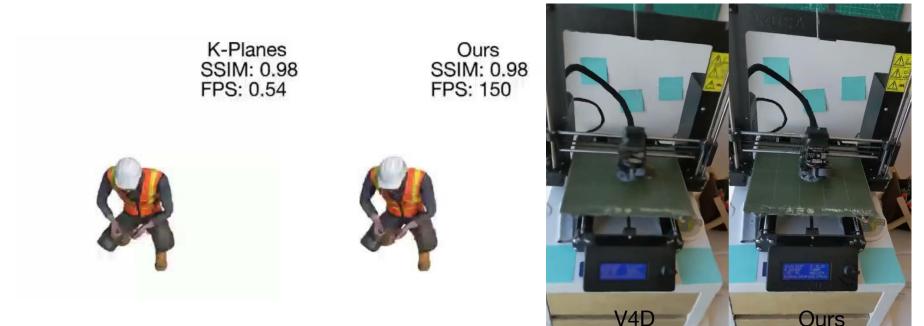
HyperNeRF dataset

	<b>FPS</b> ↑	Train Time↓	Mem↓	BROOM		<b>3D PRINTER</b>		CHICKEN		PEEL BANANA		Mean	
					SSIM↑	PSNR↑	SSIM↑	<b>PSNR</b> ↑	SSIM↑	PSNR↑	SSIM↑	PSNR↑	SSIM↑
HyperNeRF [Park+, 2021]	0.36	48 hrs	15MB	19.3	0.591	20.0	0.821	26.9	0.948	23.3	0.896	22.2	0.811
TiNeuVox-B [Fang+, 2022]	0.14	30 mins	<u>48MB</u>	<u>21.5</u>	0.686	22.8	<u>0.841</u>	28.3	0.947	24.4	0.873	24.3	0.837
V4D [GAN+, 2024]	0.15	7 hrs	1.2GB	22.1	0.669	<u>23.2</u>	0.835	28.4	0.929	<u>25.2</u>	0.873	<u>24.7</u>	0.827
Ours	188	<u>1 hrs</u>	$\sim$ 720MB	22.1	0.789	25.5	0.919	<u>28.3</u>	0.934	26.6	0.920	25.6	0.890





## Qualitative results







## Application of Adding 3D object into scene







## Conclusion

Goal: Compact, fast, and high-quality dynamic novel view synthesis

Challenges: Multi-view assumption and huge memory consumption

**Approach**: Approximation of motion of 3D Gaussians by a function with a few parameters

Result: Cutting-edge visual quality, 3DGS-level inference speed, reasonable memory footprint

Thank you for your attention.

Join us at poster session 2 Tue Oct 1st, 16:30~18:30

